

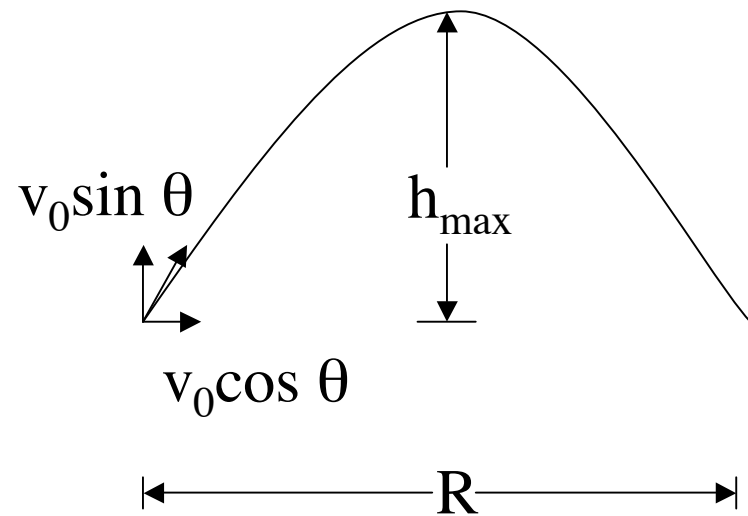
# Maximum Horizontal Range

## Solution:

The correct answer is b.)

From Question #3, we know that if the initial launch height is the same as the height at which the projectile lands, the horizontal range is given by the expression:

$$R = \left( \frac{v_0^2 \sin(2\theta)}{g} \right)$$



# Maximum Horizontal Range

Clearly, for a given value of initial velocity  $v_0$ ,  $g$  is a constant, so that  $R$  is maximum when  $\sin(2\theta)$  is maximum, i.e.,  $\theta = 45^\circ$ .

Under this condition (launch height = final height), the expression for maximum horizontal range simplifies to:

$$R_{\max} = \left( \frac{v_0^2}{g} \right)$$

Again, the above expression is correct only if the final height of the ball equals its launch height.